What is Data Science?

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What do you think Data Science is about?



Data Science ...



What is Data Science?

What do you think Data Science is about?



Data Science ...

- ... analyzes loads of data
- ... use artificial intelligence
- ... discovers secret patterns, such as



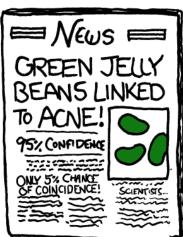
What is Data Science?

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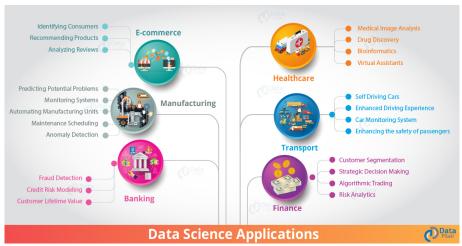
Data Science ...

- ... analyzes loads of data
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Where is Data Science used?





How does Data Science work?

It starts out with a question:

- What causes Y (e.g. fraud, Covid infection, engineering faults)?
- How to predict Y (e.g. consumers, new drugs, disease)?

It then gathers data...

- by designing a study
- by collecting what is available

Then use statistical data science techniques to analyze data:

- plotting data
- model relationships in data
- formulate conclusions



Data Science? Let's ask Plato!



Data Science is controlling **fire** so **prisoners** learn **real** objects only from **shadows**.



What is Data Science?

What TRUTH do we want to discover?



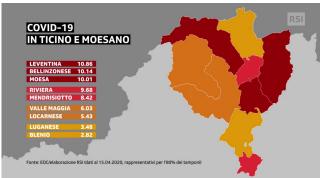


What is Data Science?

Covid-19

We want to study three questions in this class:

- How did pandemic evolve in Ticino?
- 4 How was pandemic affected by inter-cantonal transmission?
- Oid mortality rate for Covid19 improve?





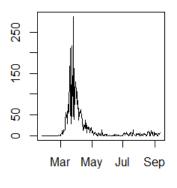
Shadows = Data



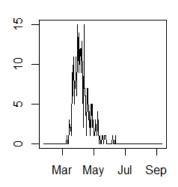


What is Data Science?

Let's look at Swiss Covid-19 data (2020)



Daily cases in TI



Daily deaths in TI



What is Data Science?

Fire = Noise, sampling bias, confounding, ...





- "Chance"
 - Measurement uncertainty;
 - Intrinsic system noise;
- "Sampling"
 - Experimental design
- "Confounding"



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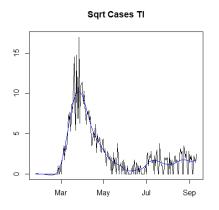


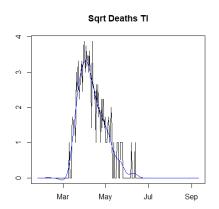
- "Chance"
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How to deal with noise?





We do 2 things:

- ullet transform data with $\sqrt{\ }$ (takes away large extremes)
- smooth data (spreads deaths/cases over empty weekends)



TRUTH

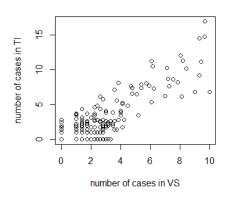
How did infections spread through Switzerland?

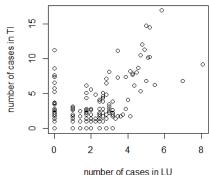




Relationship between Cantons: who infected who?

Consider relationship between TI and other cantons:





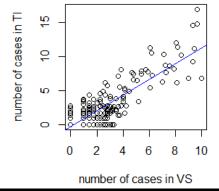
Question: Who affected who?

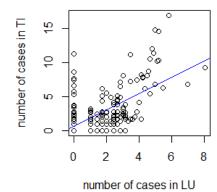


Linear Regression: modelling relationships

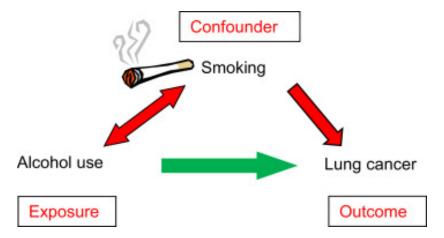
We can model relationships between TI and other cantons:

$$\begin{array}{rcl} \sqrt{\text{cases in TI}} & = & \alpha_1 + \beta_1 \sqrt{\text{cases in VS}} + \text{noise} \\ \sqrt{\text{cases in TI}} & = & \alpha_2 + \beta_2 \sqrt{\text{cases in LU}} + \text{noise} \end{array}$$





Sources of Uncertainty: Confounding

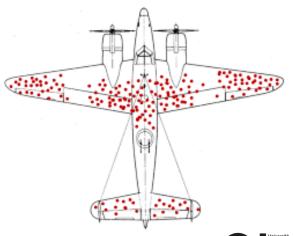




Confounding: what data do you get to see?

Different types

- Non-response bias
- Healthy user bias
- Berkson's fallacy
- Overmatching
- Survivorship bias
- Malmquist bias

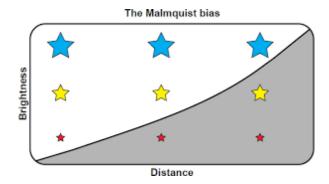




Confounding: what data do you get to see?

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Linear Regression: modelling complex relationships

We can model relationships between TI and other cantons TOGETHER:

$$\sqrt{\text{cases in TI}} = \beta_0 + \beta_1 \sqrt{\text{cases in VS}} + \beta_2 \sqrt{\text{cases in LU}} + \text{noise}$$



Linear Regression: modelling complex relationships

We can model relationships between TI and other cantons TOGETHER:

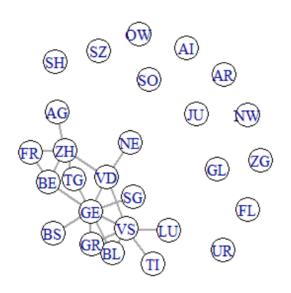
$$\sqrt{\text{cases in TI}} = \beta_0 + \beta_1 \sqrt{\text{cases in VS}} + \beta_2 \sqrt{\text{cases in LU}} + \text{noise}$$

	Estimate	Std. Error	t value	Pr(> t)
β_0	-0.26	0.15	-1.66	0.09
β_1 (VS)	1.11	0.07	16.3	< 0.01
β_2 (LU)	0.07	0.09	0.74	0.48

So, VS affected TI, but LU didn't!

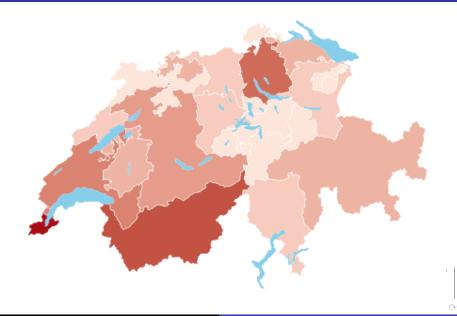


... Now do this for all cantons simultaneously!

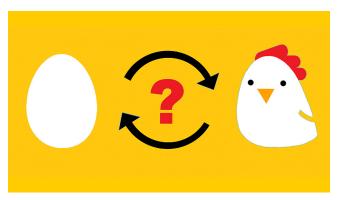




Which canton has the most connections?

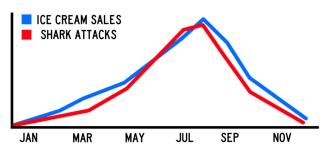


Direction of arrow?





CORRELATION IS NOT CAUSATION!



Both ice cream sales and shark attacks increase when the weather is hot and sunny, but they are not caused by each other (they are caused by good weather, with lots of people at the beach, both eating ice cream and having a swim in the sea)

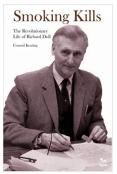
Events are connected by a **common cause**: confounding



R.A. Fisher vs. Richard Doll

R.A. Fisher (geneticist and statistician) was a fervent smoker.





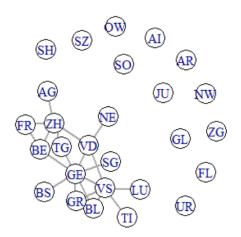
"Smoking and lung cancer are confounded"
Sir Richard Doll conducted:

"Control for all possible confounders"

- 1950. Lung cancer study in 20 London hospitals.
- 1954–2001 British Doctor Study to eliminate confounders.

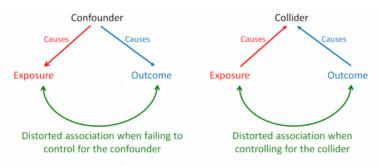


Prediction graph





Inferring Causality



COLLIDER RULE: If

- conditional dependence between A-C and B-C and A-B
- no dependence between A-B

Then

• A and B cause C.

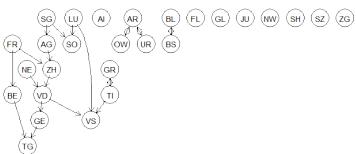


What is Data Science?

Causal network of infections: Who infected who?

Applying PC algorithm to Covid network in CH, we find:

directed causal graph





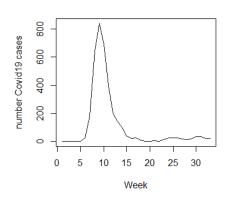
BONUS

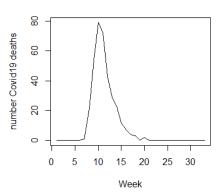
Did mortality rates improve during Covid-19 pandemic?





Weekly data





Ratio of deaths over cases should tell us something about death

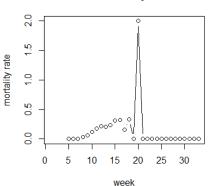


$$\mathsf{mortality}_0(t) = \frac{\mathsf{deaths}(t)}{\mathsf{cases}(t)}$$



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No delay

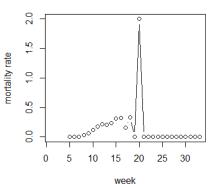




$$\mathsf{mortality}_0(t) = \frac{\mathsf{deaths}(t)}{\mathsf{cases}(t)}$$

$$\mathsf{mortality}_2(t) = \frac{\mathsf{deaths}(t)}{\mathsf{cases}(t-2)}$$

No delay

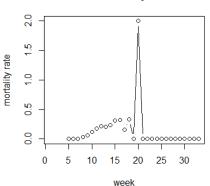




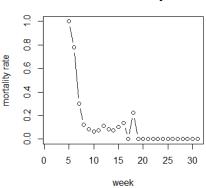
$$\mathsf{mortality}_0(t) = \frac{\mathsf{deaths}(t)}{\mathsf{cases}(t)}$$

$$mortality_2(t) = \frac{deaths(t)}{cases(t-2)}$$

No delay



Two week delay



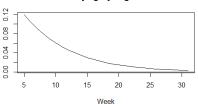
Logistic regression model

We fit mortality regression with time:

odds of dying of covid-19 (in week t) = $e^{\alpha+\beta t}$

	Estimate	Std. Error	z value	Pr(> z)
(Intercept)	-1.262	0.073	-17.35	0.0000
week	-0.147	0.007	-21.51	0.0000

Prb of dying if you get Covid



Probability of dying of Covid-19 reduced approx 14% each week;

$$e^{-0.147} = 0.86$$





Conclusions

- Never take data for granted! (There may be all kind of errors!)
- Value of data lies entirely in its collection!
 (Randomized designs are more valuable than observational ones.)
- Modelling needs to capture underlying process, but also design!
 (The weaker the design, the stronger the modelling needs to be...)

